

**Series 8**

**7 November 2025**

**Exercise 1: Interaction force between two Shockley partial dislocations**

Calculate the interaction force between two Shockley partials that glide on the (111) close-packed plane.

- 1) If the perfect dislocation  $AB = \frac{a}{2}[\bar{1}10]$  is of screw type
- 2) If the perfect dislocation  $AB = \frac{a}{2}[\bar{1}10]$  is of edge type.

The approach to solving this exercise is to make a schematic, calculate the Peach-Köhler forces between the partials (hint: at equilibrium, these correspond to the stacking fault energy), and show that the interaction reduces to screw-screw and edge-edge. This exercise aims to establish the equilibrium distance between partial dislocations as a function of the stacking fault energy (equation 7.38 in the textbook).

**Exercise 2: Precipitation hardening**

A precipitation-hardened alloy contains coherent spherical precipitates distributed uniformly (average distance between precipitates =  $\ell$ ). These precipitates grow when the alloy is annealed at a temperature  $T_A$ , and we observe variations in the electrical resistivity and hardness  $H_v$ , as reported in Figure 1.

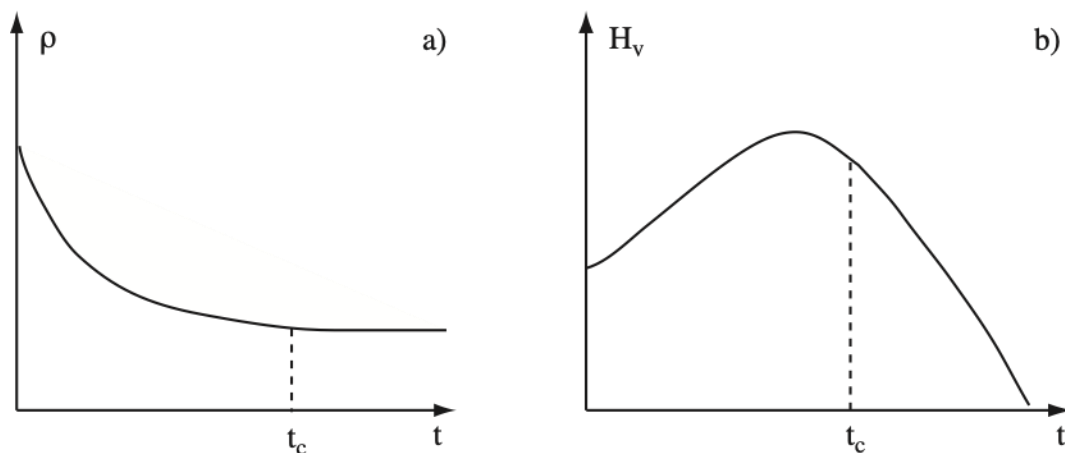


Figure 1 Annealing of a sample at constant temperature  $T_R$ . (a) Evolution of the electric resistivity. (b) Measurements of hardness after annealing are interrupted at consecutive time points.

- a) Explain the observed maximum in hardness and calculate the precipitates' critical radius  $r_c$  leading to the maximum hardening.
- b) After an annealing time  $t_c$ , the resistivity is constant, and the hardness decreases. Why?

### Exercise 3: Reaction between dislocations

Show that, in an FCC crystal, the reaction  $\frac{a}{2}[110] + \frac{a}{2}[1\bar{1}0] \rightarrow a[100]$  is favorable if the dislocation  $a[100]$  is a pure screw and unfavorable if it is a pure edge.